

CFD Modeling of Rockery Walls in the River Environment



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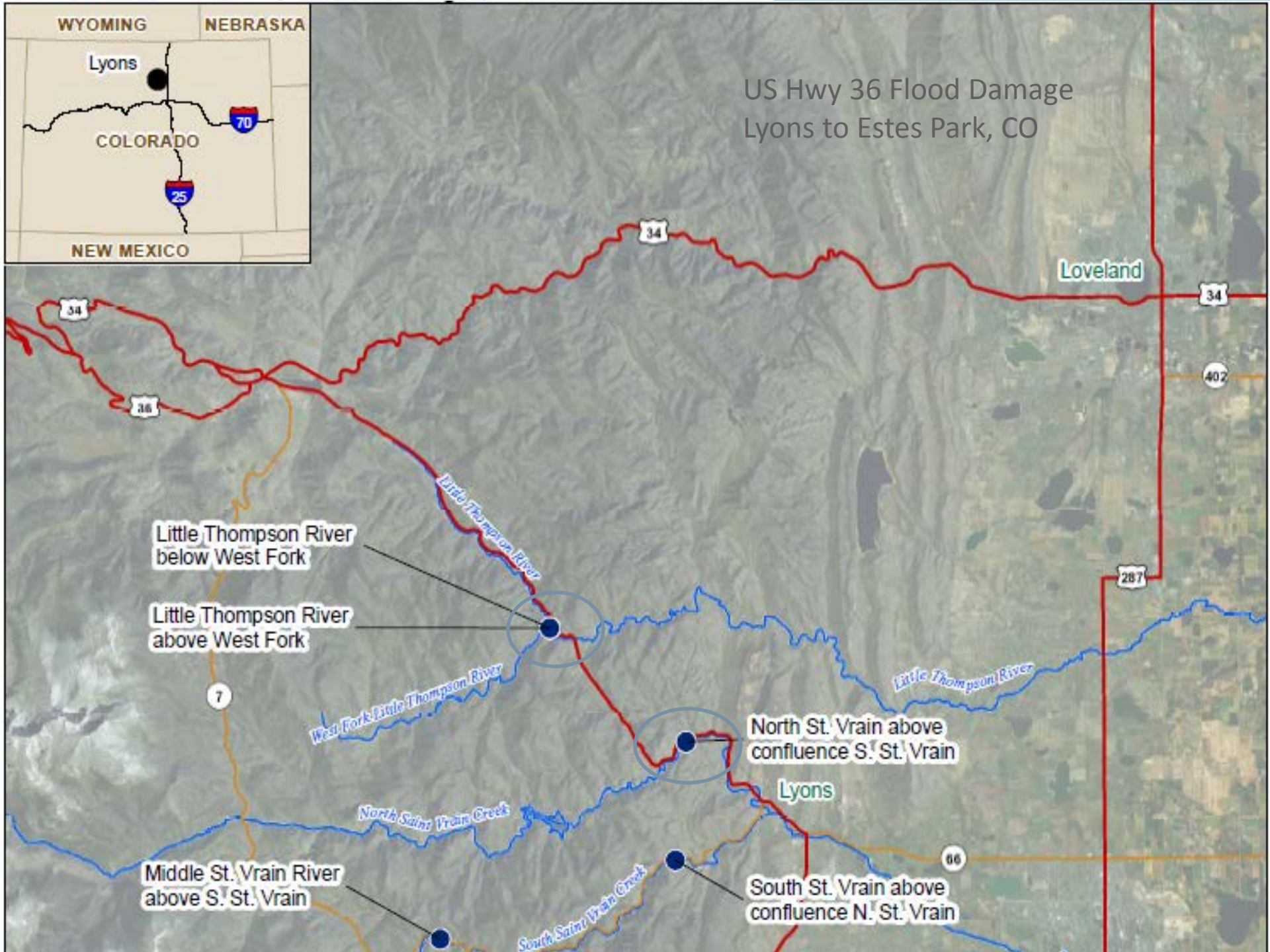
Bart Bergendahl

Part I: Introduction

Bart Bergendahl



US Hwy 36 Flood Damage Lyons to Estes Park, CO











Preliminary Rainfall / Runoff Data

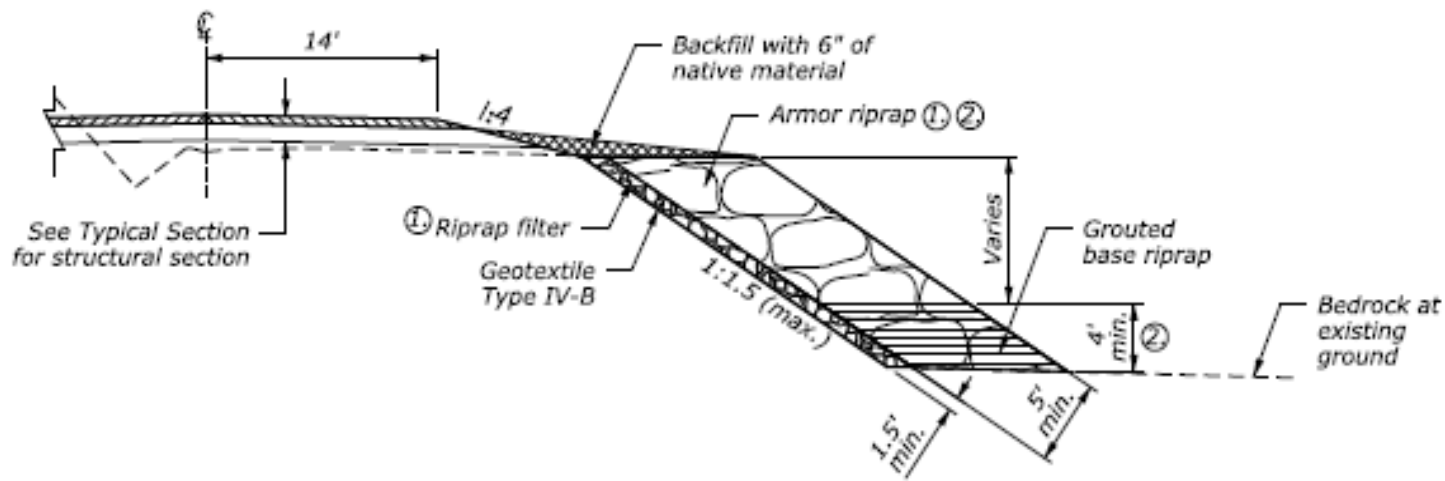
Rainfall (Sept 9-18, 2013)

Location	Duration	Measured	Return Int. (NOAA)
Button Rock Dam	6 hour	4.37 inches	1000 year
	10 day	16.13 inches	>1000 year

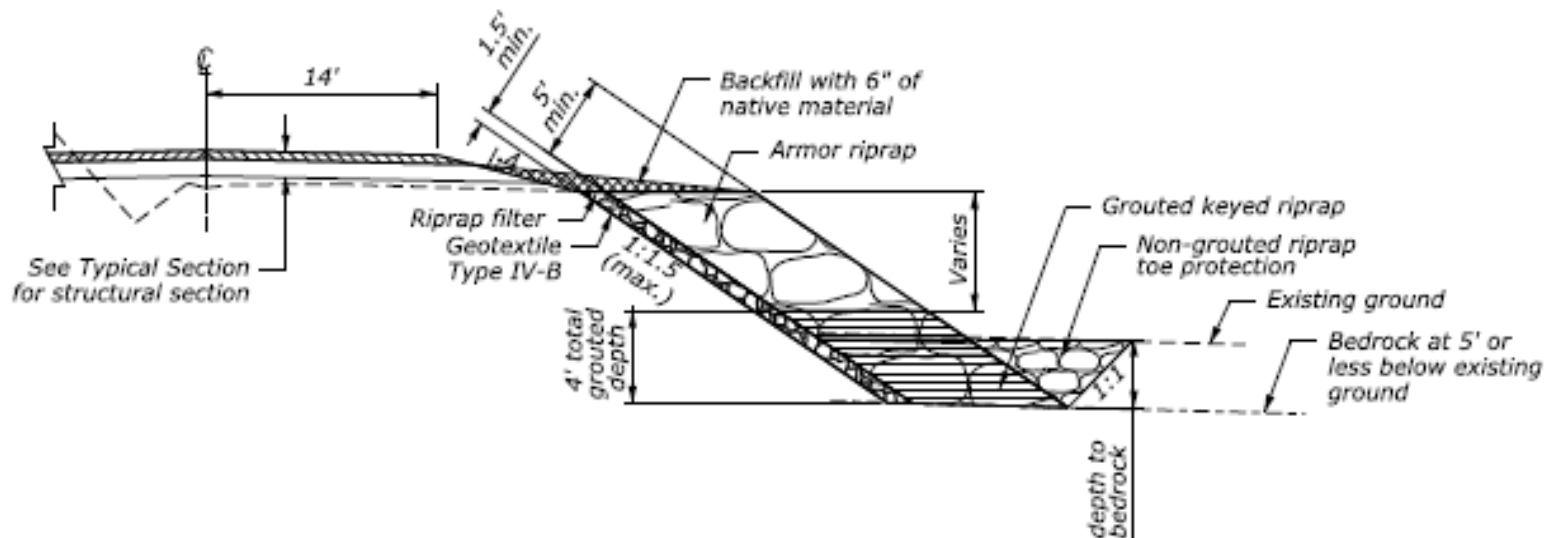
Peak Discharges

Location	Q100 (FEMA)	Measured	Return Int. (FEMA)
North St. Vrain Crk.	4310 cfs	12,300 cfs	>500 year
Little Thompson R.	2585 cfs	7800 cfs	>500 year





**TYPICAL EMBANKMENT ARMORING SECTION
BEDROCK AT EXISTING GROUND**

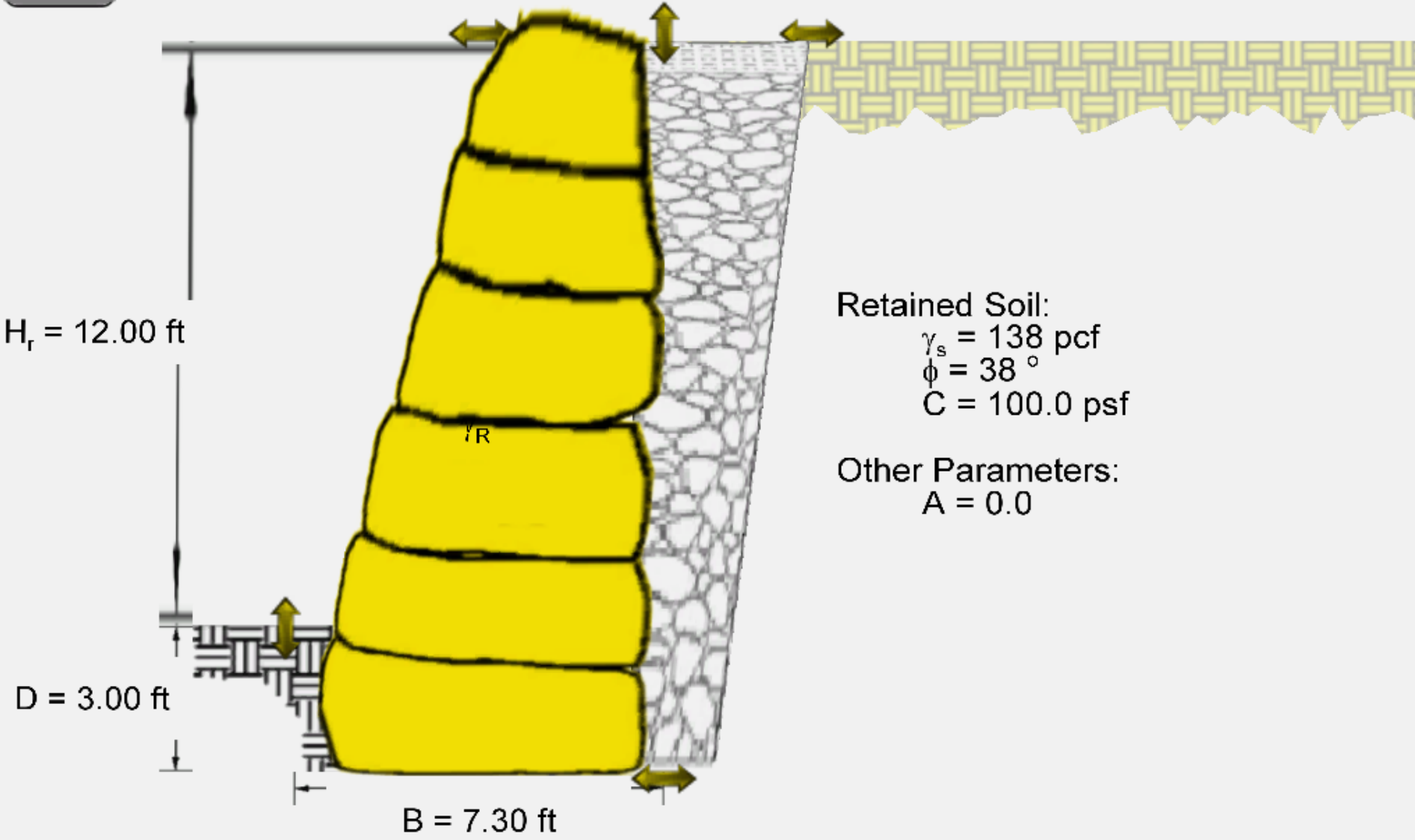


**TYPICAL EMBANKMENT ARMORING SECTION
BEDROCK 5' OR LESS BELOW EXISTING GROUND**

Rockery

Project Input Plot Bishop Report

Reset



Retained Soil:
 $\gamma_s = 138$ pcf
 $\phi = 38^\circ$
 $C = 100.0$ psf

Other Parameters:
 $A = 0.0$

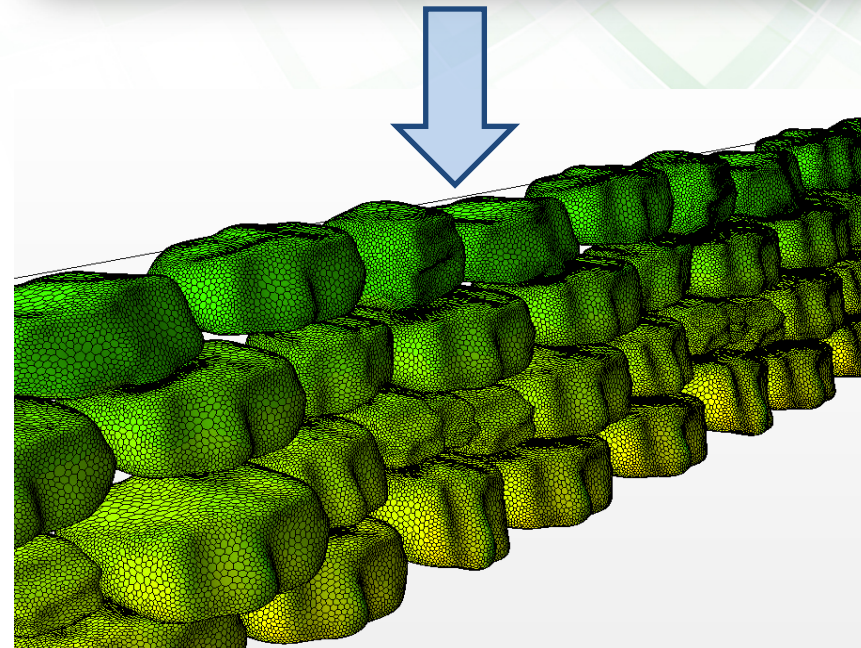
Question...

- If large, loose rock riprap (e.g. $D_{50} = 3'$; $D_{100} = 5.5'$) is theoretically unstable when placed on a 1:1 slope of a river bank, can same rock be stable when stacked in a near-vertical orientation (i.e. a dry-stack rockery wall at the river bank)?
- Knowledge gap for hydraulics and geotech
- Design guidance needed for riverine and coastal applications
- Enter TRACC of Argonne National Laboratory and technical assistance thru CFD Modeling...

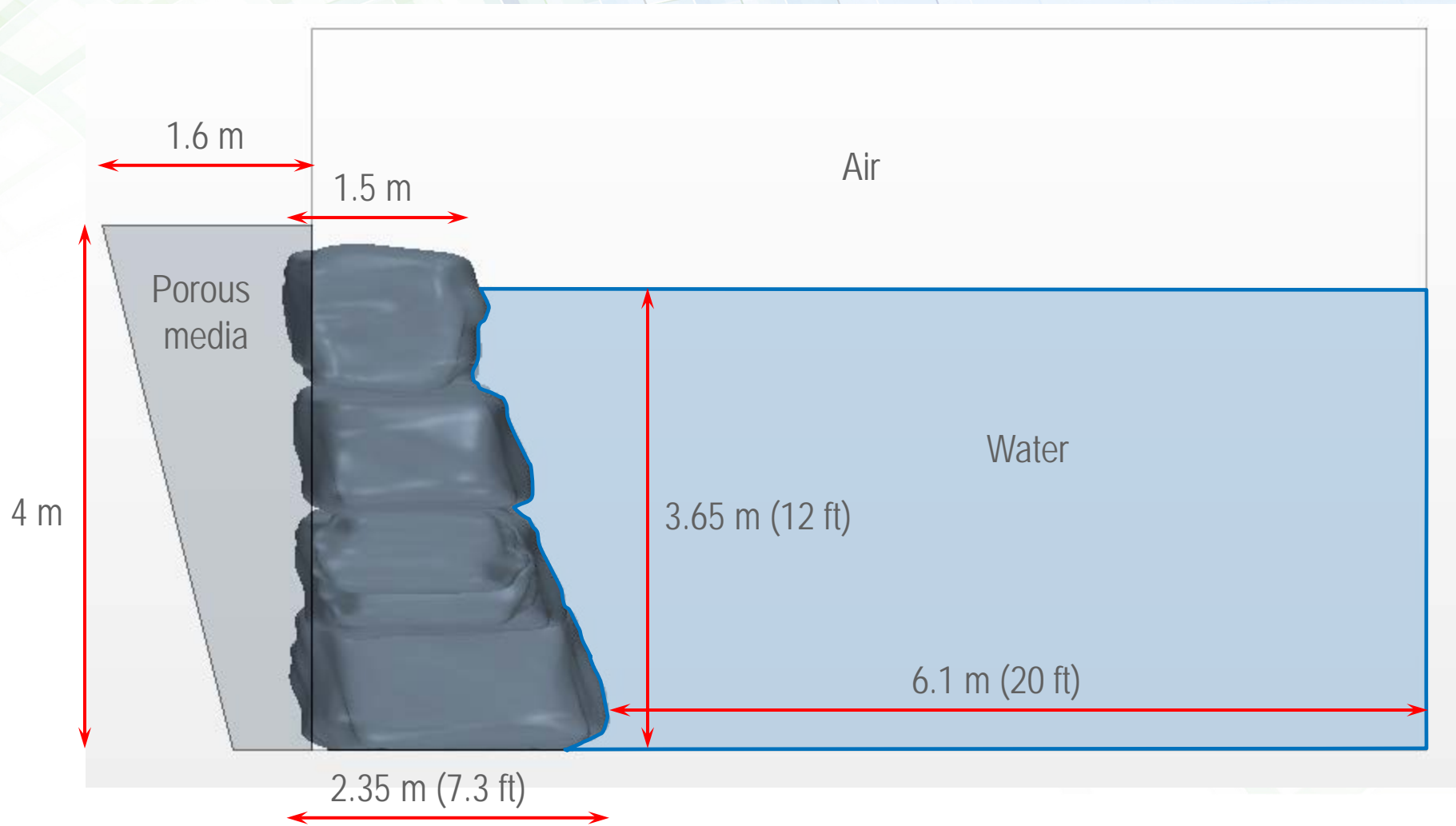


Part II: CFD modeling

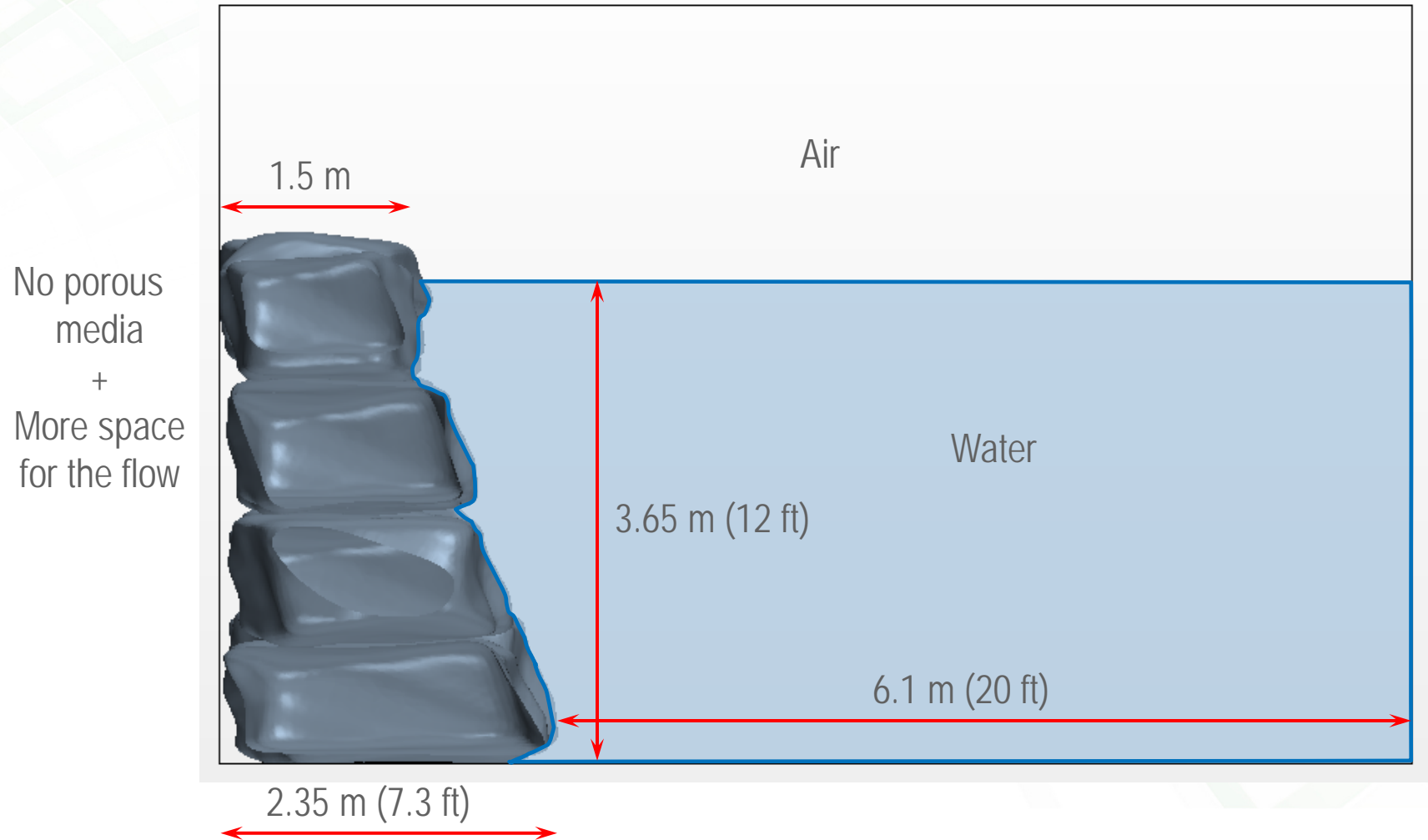
Cezary Bojanowski
Steven Lottes



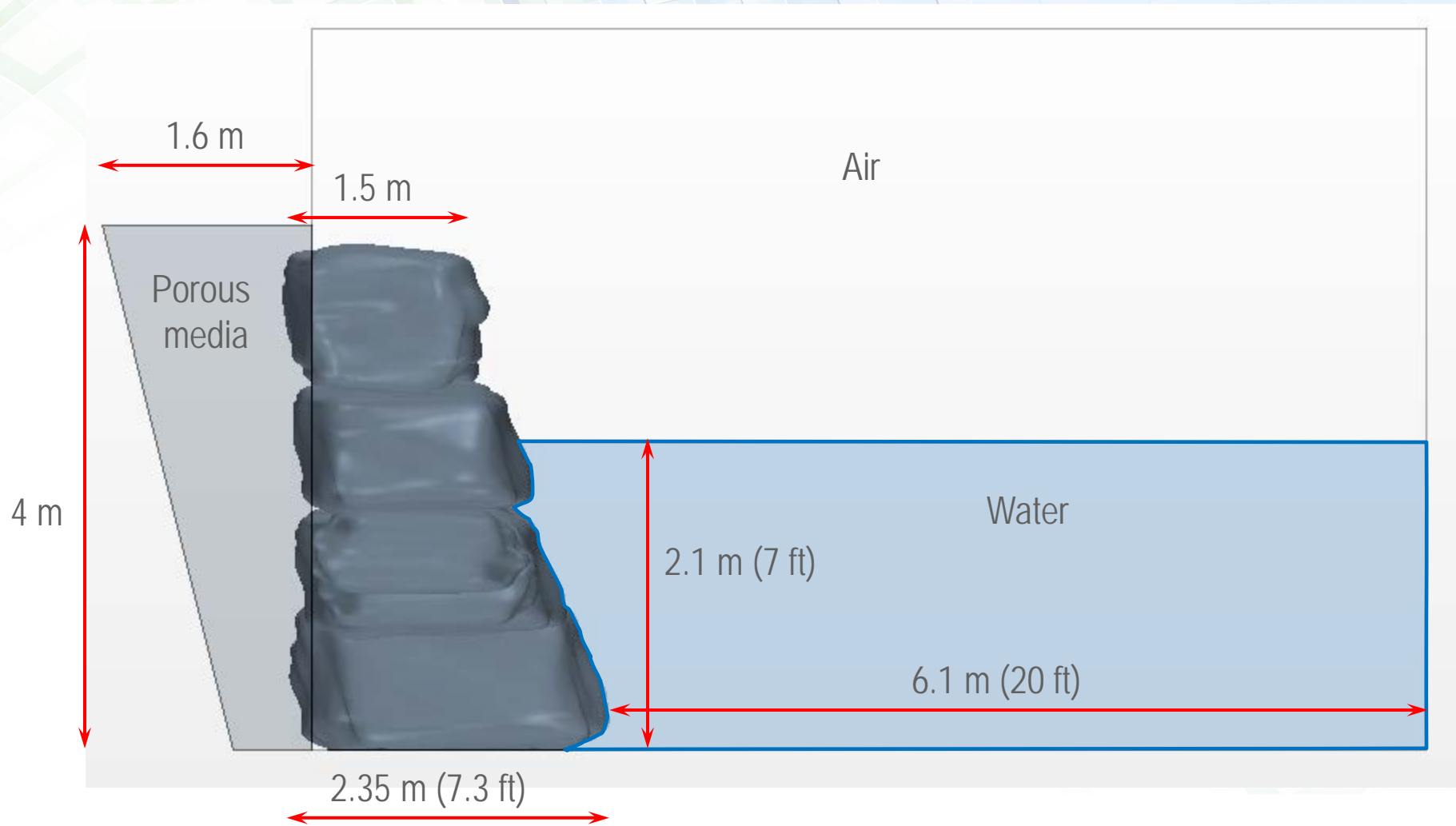
Geometry of the base model - Case 1



Geometry of the model without filler - Case 2, 3



Geometry of the base model - Case 4



Analyzed cases

- Analyzed basic cases:

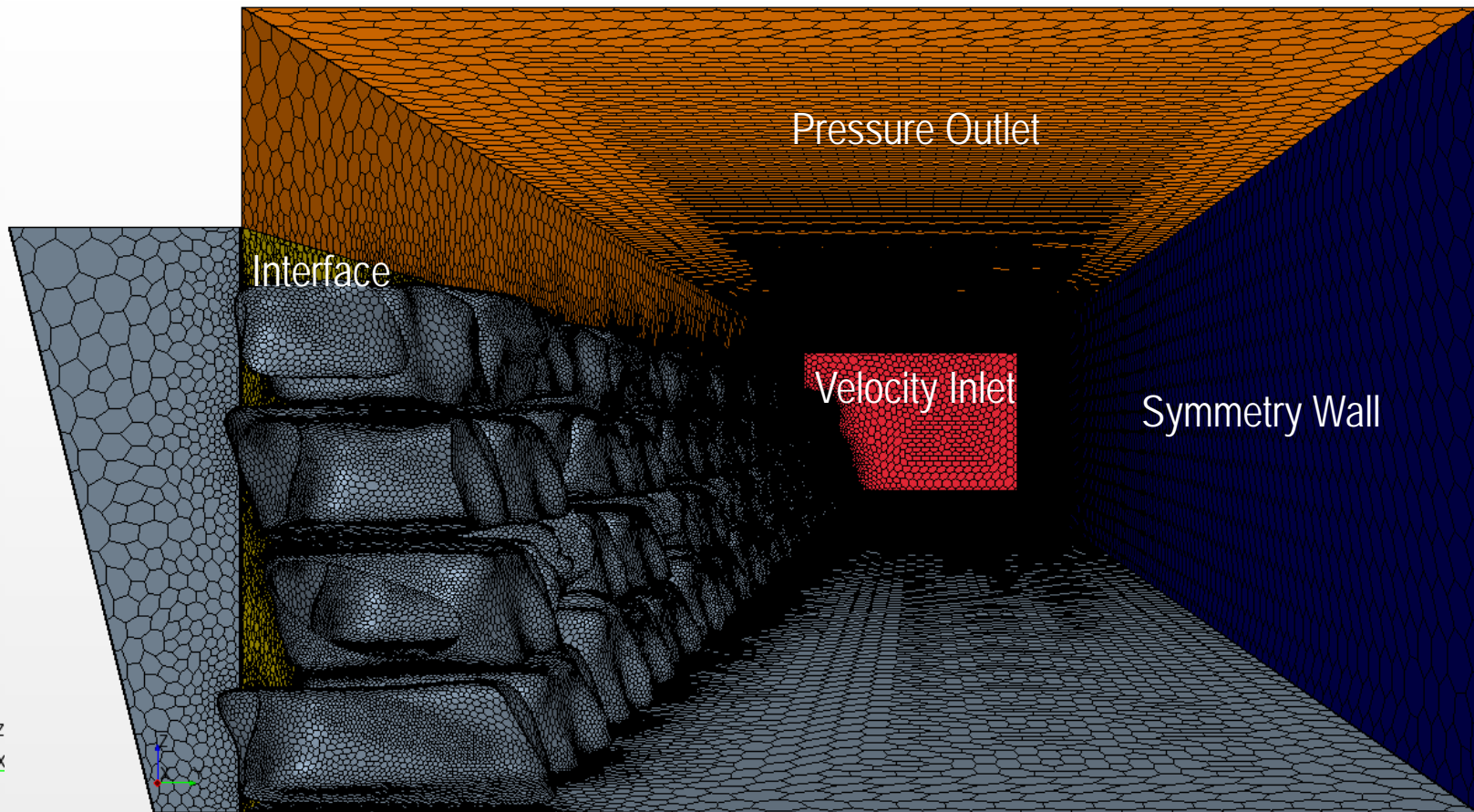
Case No.	Water height	Inlet velocity	Angle at inlet	Filler model
1	12 ft	4.25 m/s 14 ft/s	0 deg	Porous media
2	12 ft	4.25 m/s 14 ft/s	0 deg	Void + Wall
3	12 ft	4.25 m/s 14 ft/s	20 deg	Void + Wall
4	7 ft	3.5 m/s 11.5 ft/s	0 deg	Porous media
5	7 ft	3.5 m/s 11.5 ft/s	0 deg	Void + Wall

- Additionally, following cases were run:
 - Curved wall model
 - Rocks protruding into the flow
 - Scaled rocks



Volume mesh on the base model

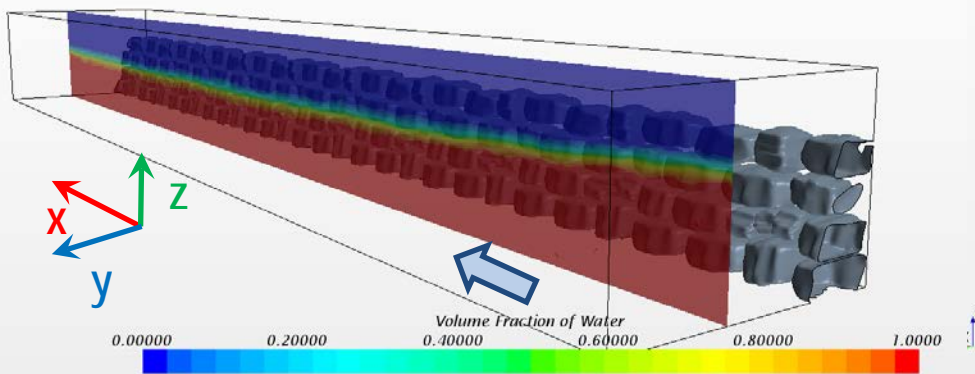
- 1.5 M - 5.2 M polyhedral cells (denser mesh around the rocks)
- Length of the model 50 m
- Unsteady Reynolds Averaged Navier Stokes model with k-epsilon turbulence and Volume of Fluid



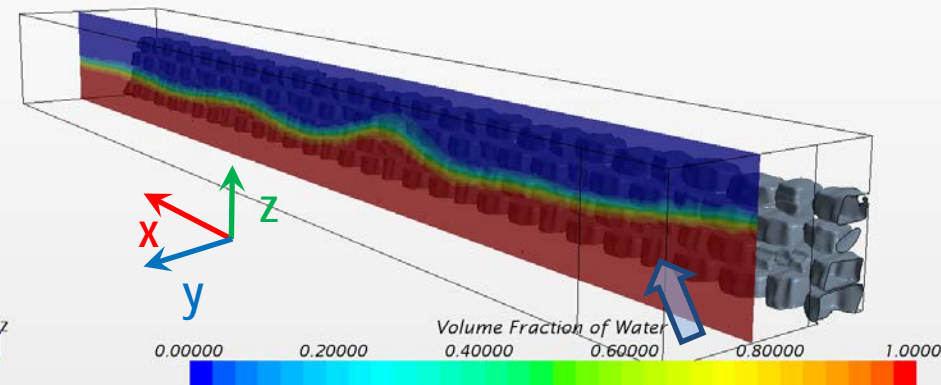
Volume fraction of water in computational cell

- The model for free surface flow tracking in CFD terminology is called volume of fluid (VOF).
- It may be sensitive to the time step of calculations and it requires careful initialization of the simulation.
- The time step of calculations was set to 0.1 s.
- The simulations were run for 100+ seconds (depending on the case) until stable results were obtained.

Case 2

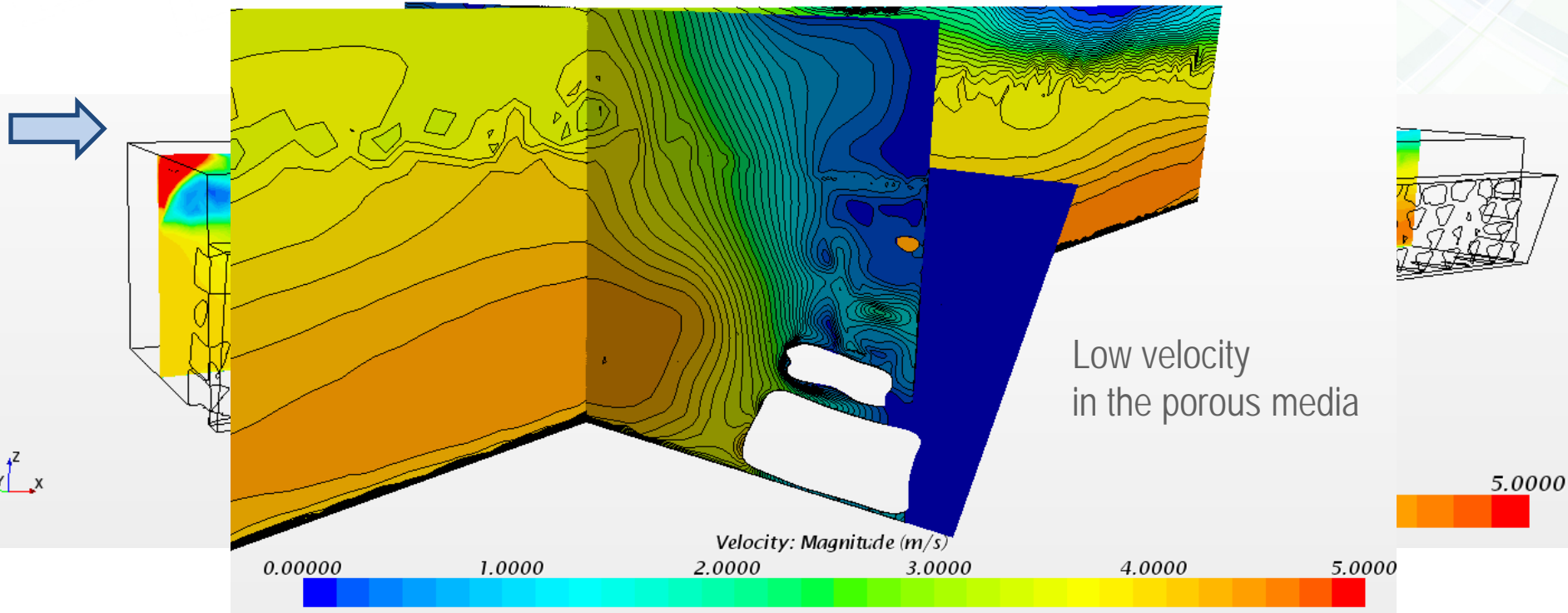


Case 3



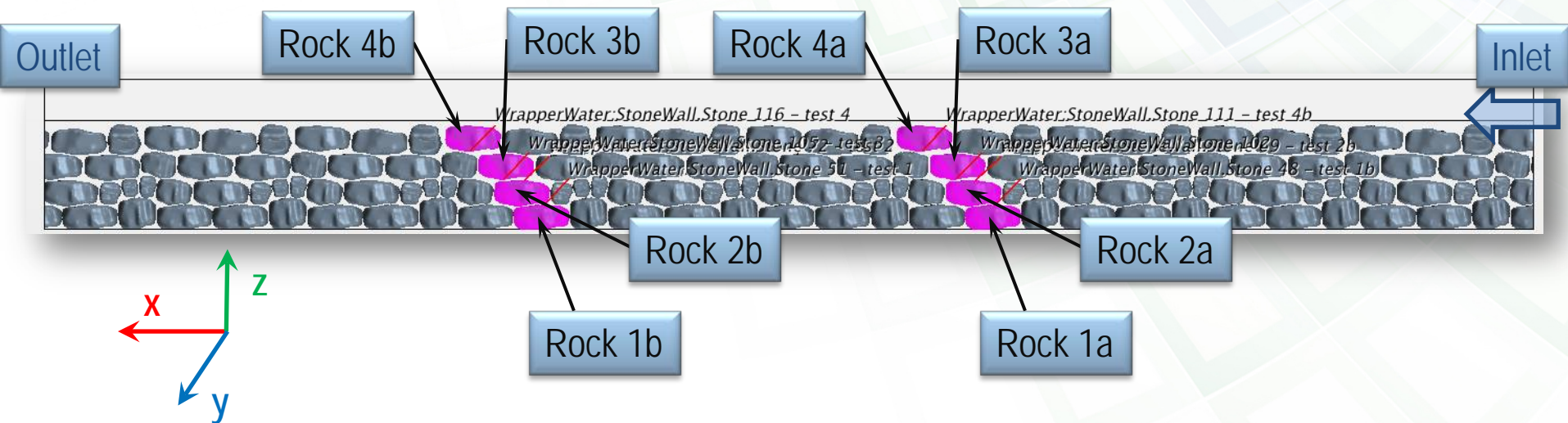
Velocity

- Porous media model averages the properties of the filler.
- Flow velocities in the porous media model are usually very low as compared to the main flow.
- More conservative results can be obtained if there is a narrow void behind the rocks ending at a rough continuous wall that allows for some flow.



Location of rocks of interest

- The rocks of interest have the same frontal area i.e. projection on XZ plane
- Having the same XZ projection allows for comparison of the forces normal to the flow (Y force).
- Their projection in YZ plane is different due to the slope of the wall.
- Forces on the rocks at two locations are compared.



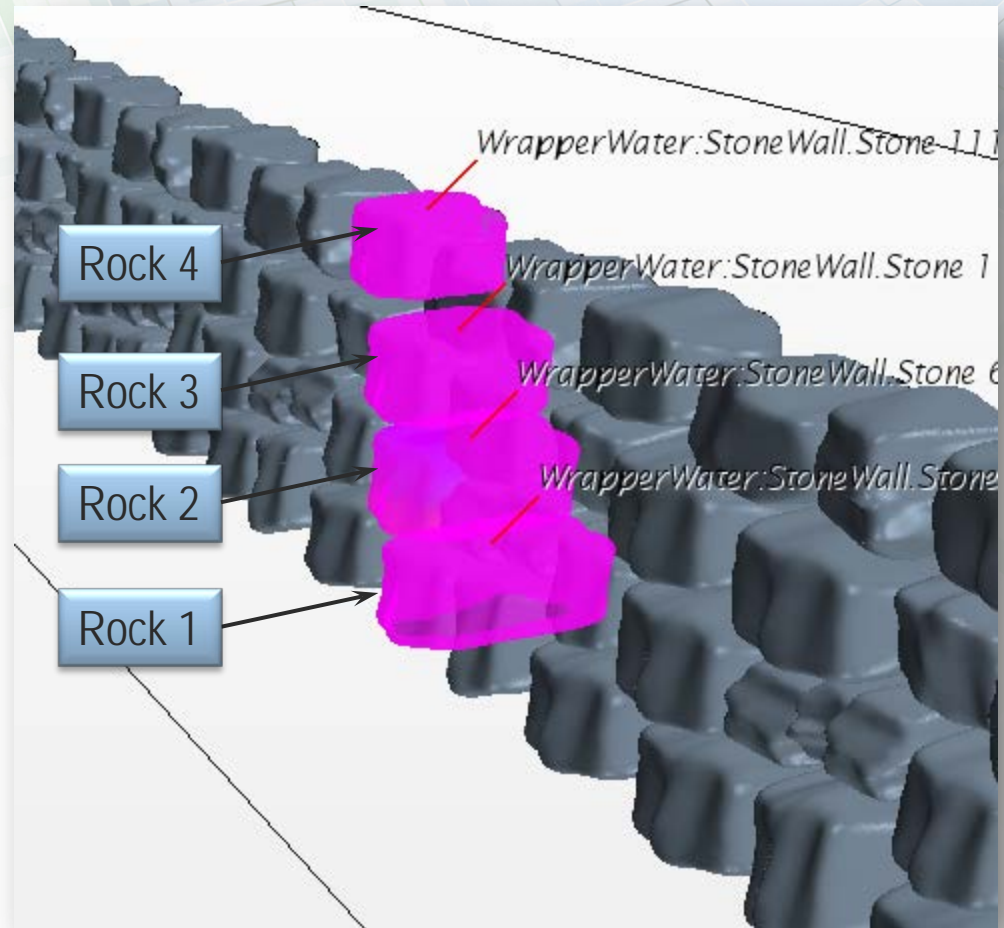
- Positive X force means along the flow
- Positive Y force means a force pulling the rock into the flow
- Positive Z force means an upward force

Dry weight of rocks of interest

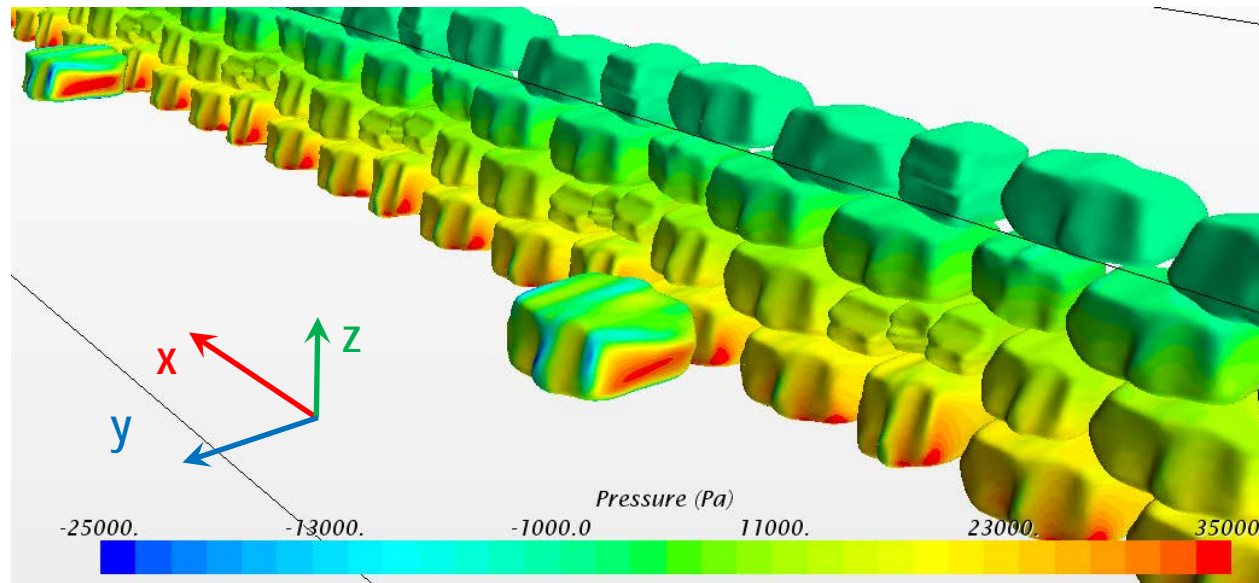
$$\text{Weight} = V * \rho * g = \text{Vol} * 2,500 \text{ kg/m}^3 * 9.81 \text{ m/s}^2$$

$$\text{Submerged Weight} = V * (\rho_s - \rho_w) * g = \text{Vol} * 1,500 \text{ kg/m}^3 * 9.81 \text{ m/s}^2$$

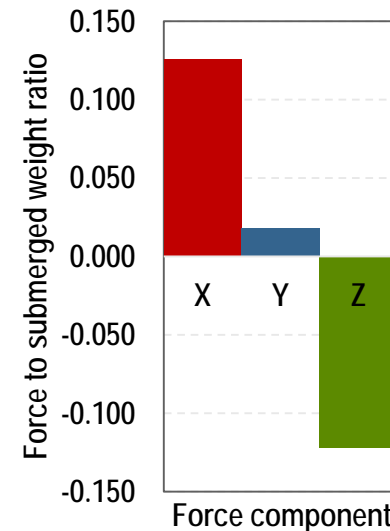
- Weight of rock 4 = 45,000 N
- Volume of rock 4 = 1.83 m³
- Weight of rock 3 = 54,900 N
- Volume of rock 3 = 2.24 m³
- Weight of rock 2 = 62,600 N
- Volume of rock 2 = 2.55 m³
- Weight of rock 1 = 71,800 N
- Volume of rock 1 = 2.92 m³



Hydrodynamic forces on a single rock in the flow



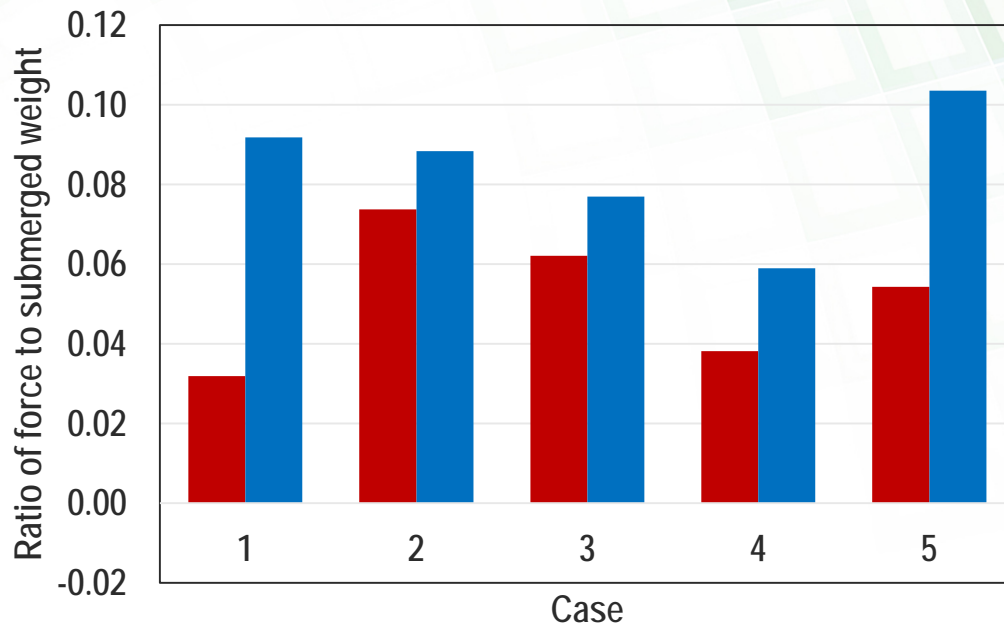
- Overall Z force consists of the following components:
 - Weight
 - Buoyancy
 - Drag
 - Contact forces
- Z force from CFD consists of TWO only:
 - Buoyancy
 - Drag
- Presented graphs show only the drag component (the hydrodynamic components only)



Forces on Rock 1a and 1b

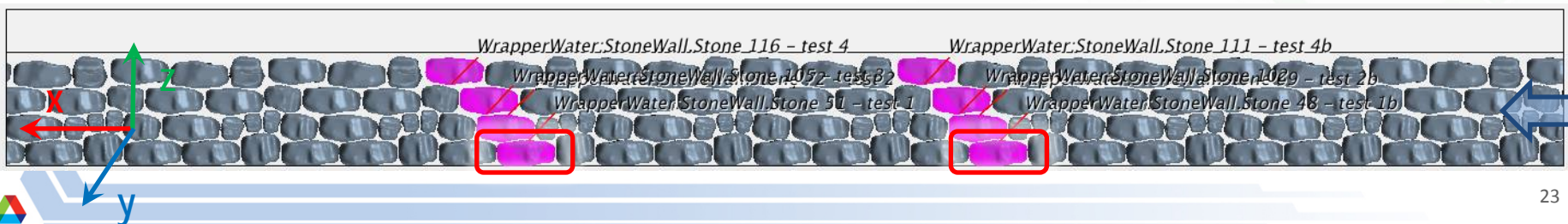
- Rock 1 is partially buried so the Z force is not included because pressure integration over bottom surface can't be done.
- Dry weight of rock 1 = 71,800 N

Rock 1



■ X
■ Y

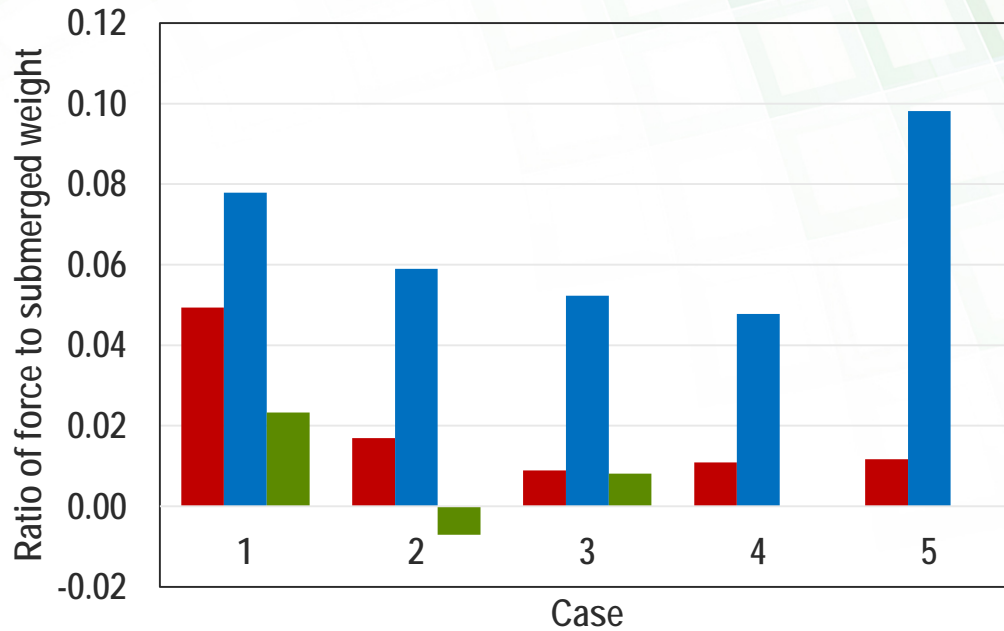
Case No.	Water height	Inlet velocity	Filler model
1	12 ft	14 ft/s	Porous
2	12 ft	14 ft/s	Void
3	12 ft	14 ft/s @20 deg	Void
4	7 ft	11.5 ft/s	Porous
5	7 ft	11.5 ft/s	Void



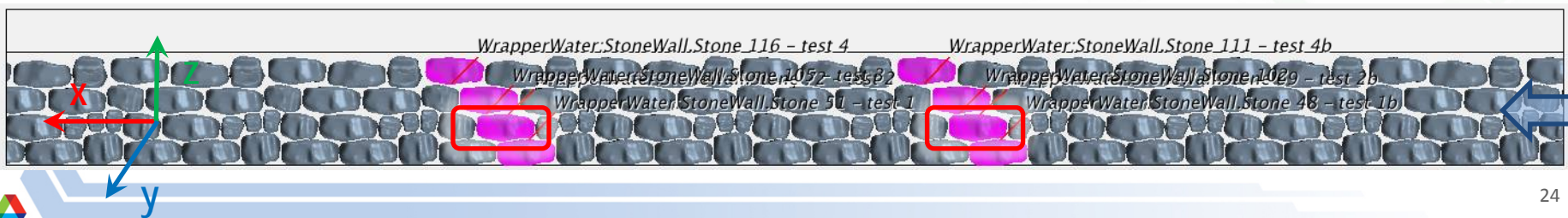
Forces on Rock 2a and 2b

- The simulations are transient causing the forces tend to fluctuate by a small amount as waves pass.
- Dry weight of rock 2 = 62,600 N

Rock 2



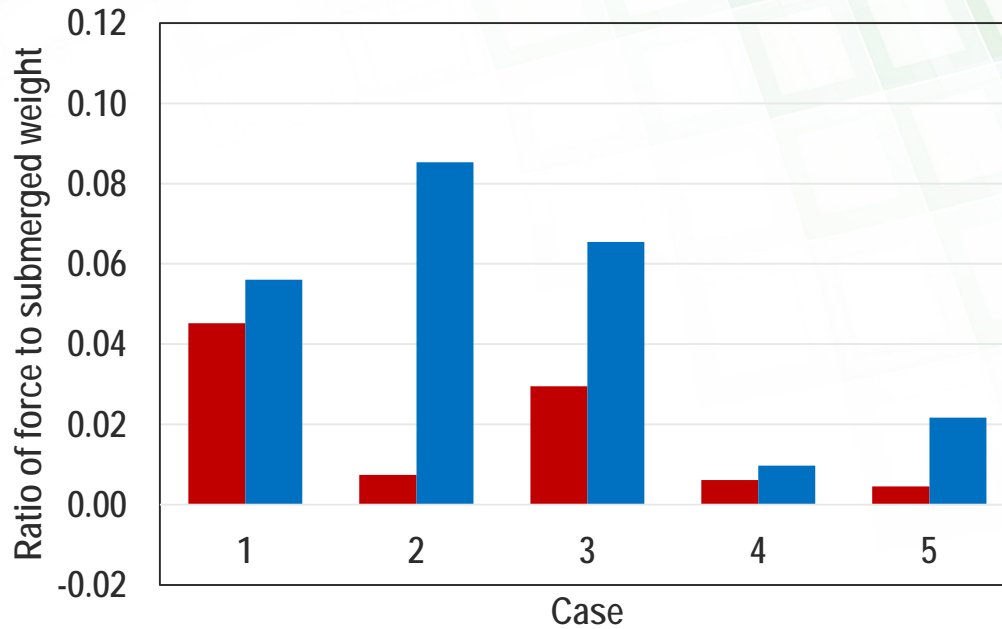
Case No.	Water height	Inlet velocity	Filler model
1	12 ft	14 ft/s	Porous
2	12 ft	14 ft/s	Void
3	12 ft	14 ft/s @20 deg	Void
4	7 ft	11.5 ft/s	Porous
5	7 ft	11.5 ft/s	Void



Forces on Rock 3a and 3b

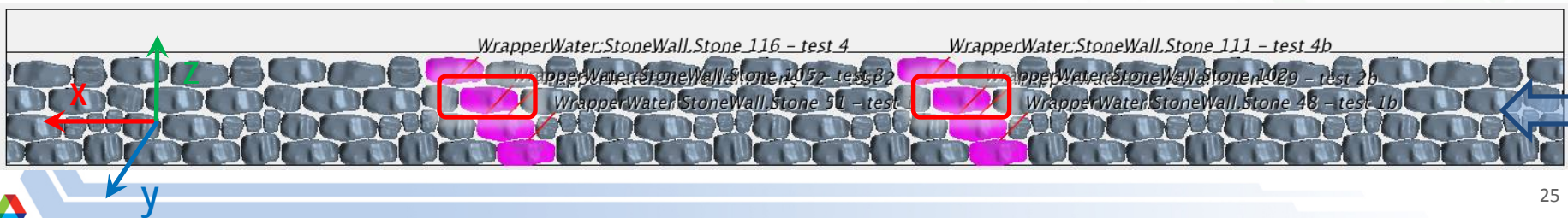
- Rock 3 is only partially covered with water in cases 4 and 5, Rock 4 is dry in these cases
- Dry weight of rock 3 = 54,900 N

Rock 3

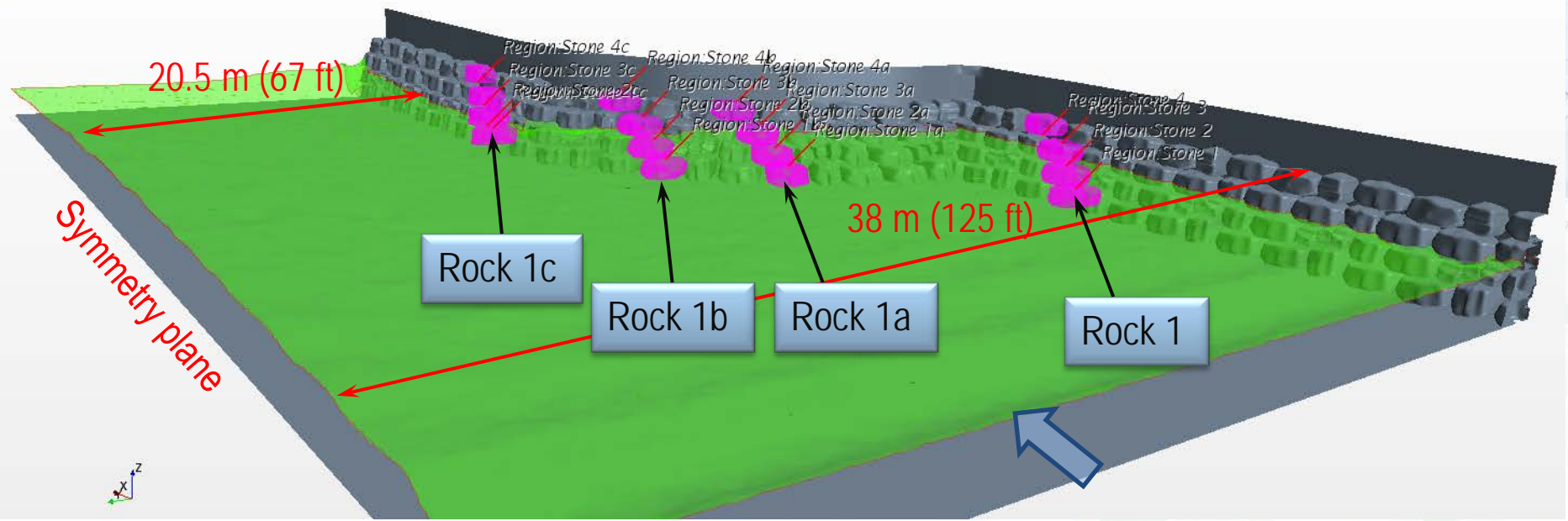


■ X
■ Y

Case No.	Water height	Inlet velocity	Filler model
1	12 ft	14 ft/s	Porous
2	12 ft	14 ft/s	Void
3	12 ft	14 ft/s @20 deg	Void
4	7 ft	11.5 ft/s	Porous
5	7 ft	11.5 ft/s	Void

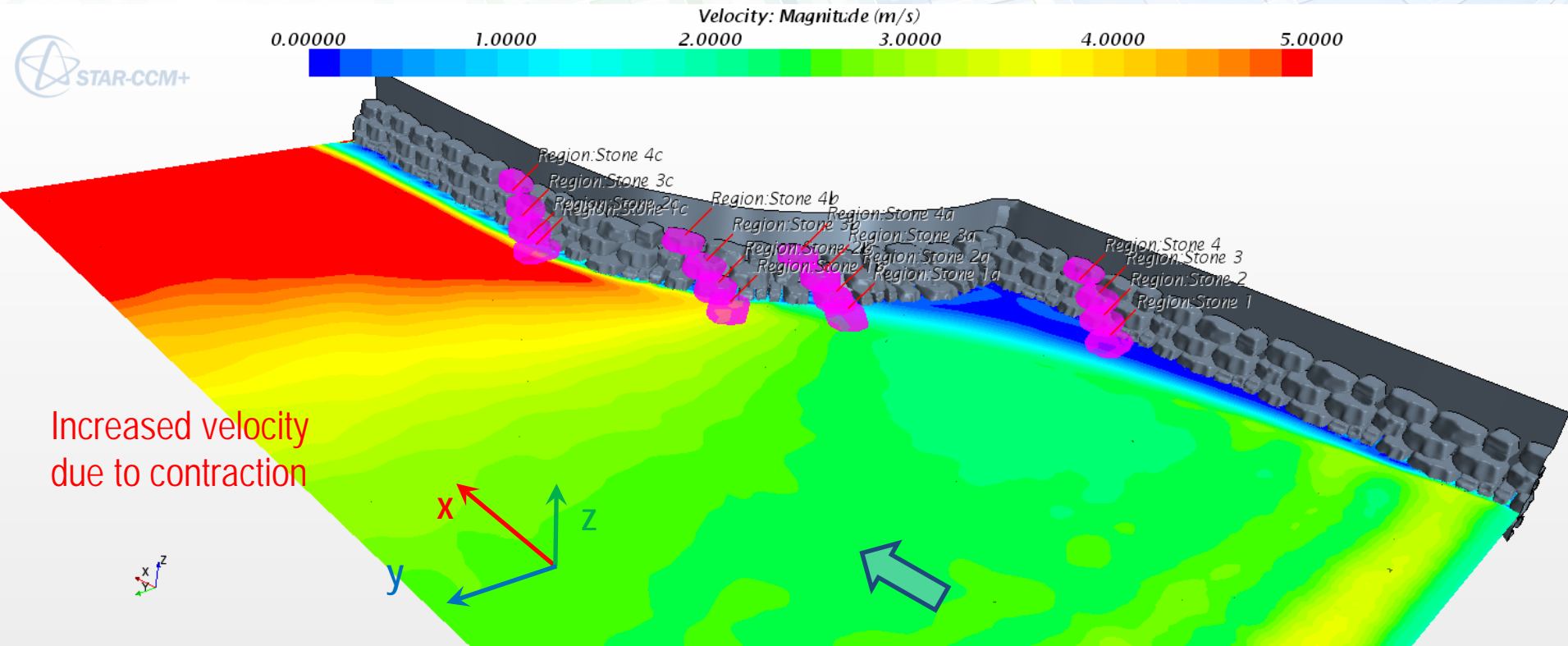


Simulations with curved wall model

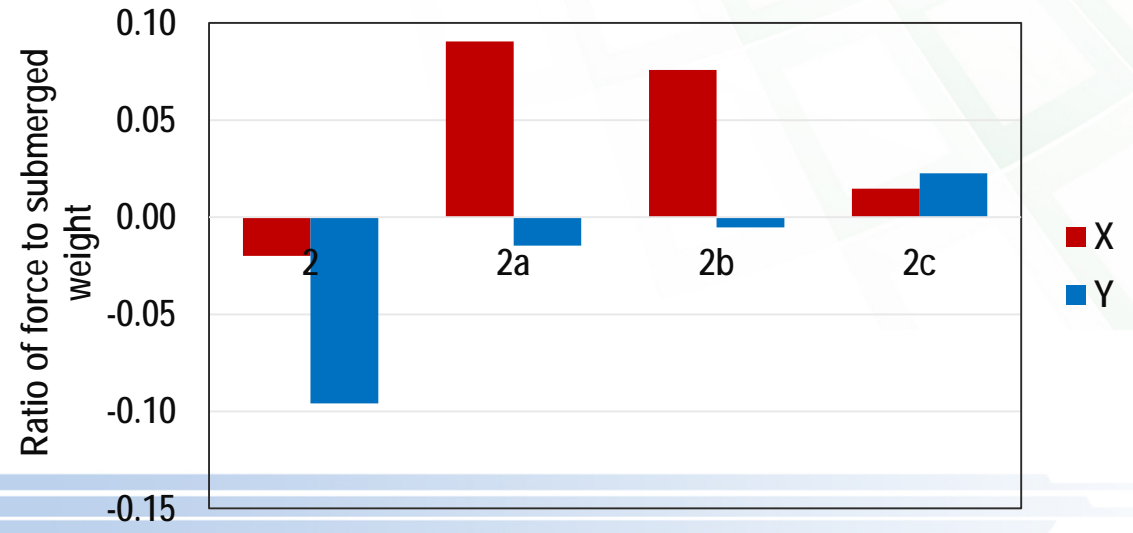
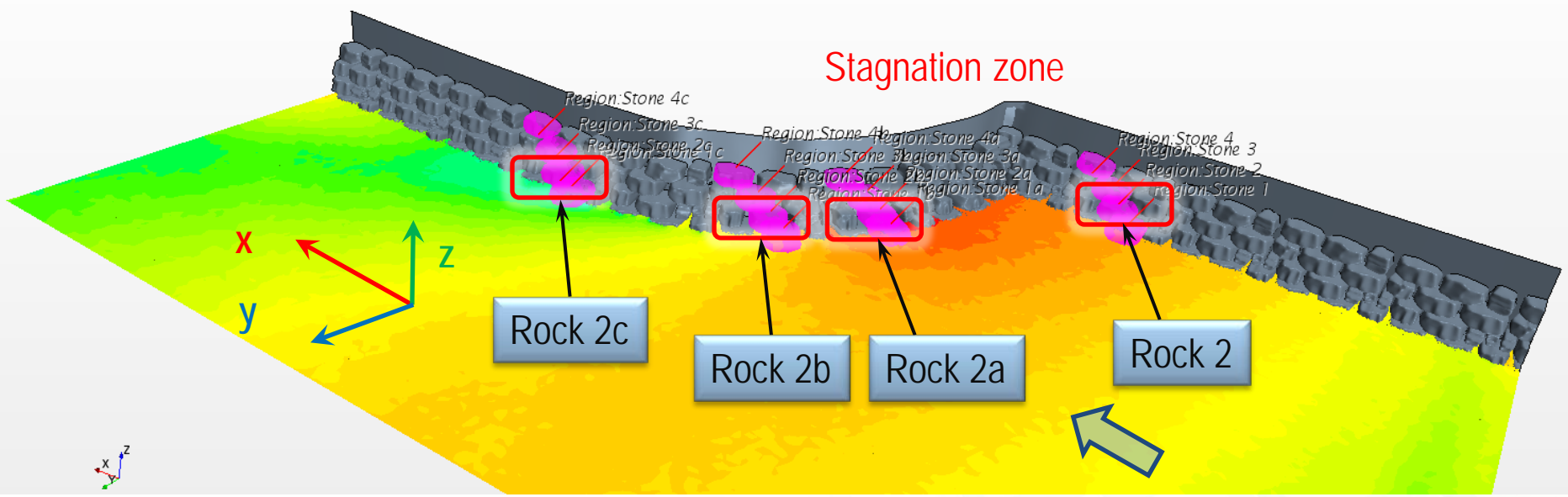
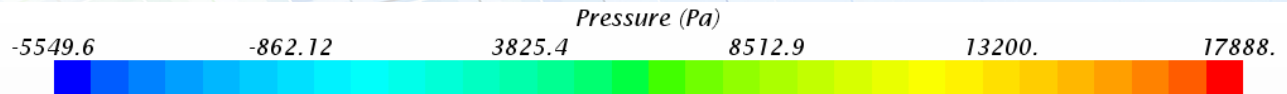


Curved wall model - velocity

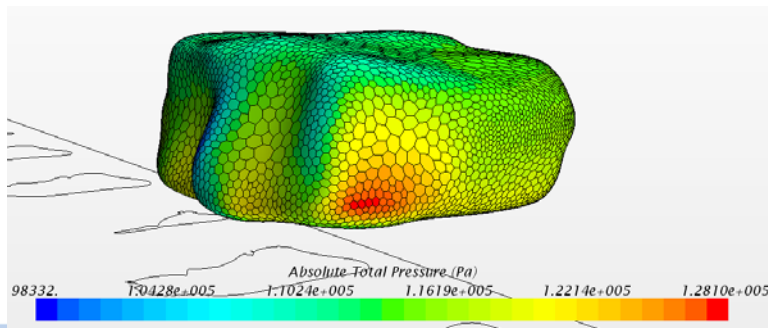
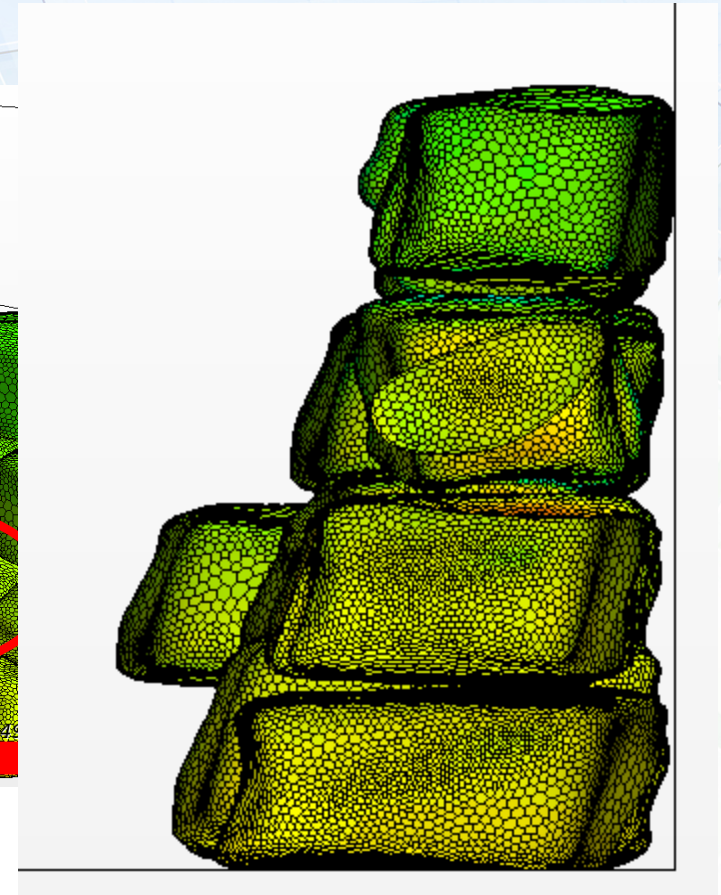
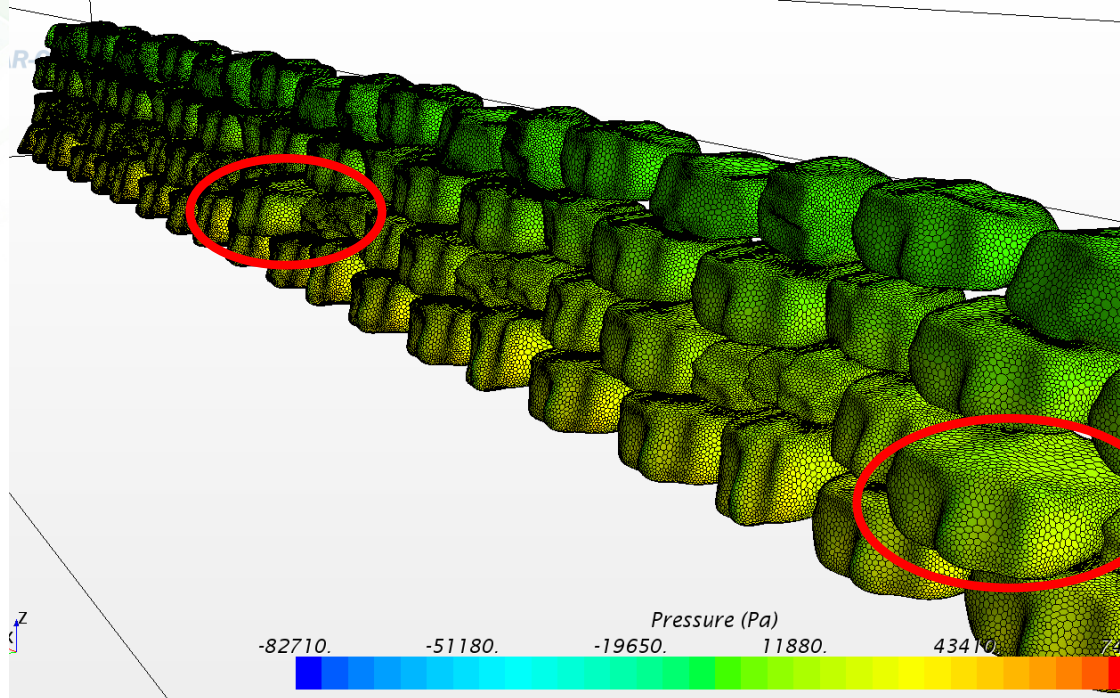
- Inlet velocity is set to 2 m/s
- The velocity in the contracted zone increases to 6 m/s



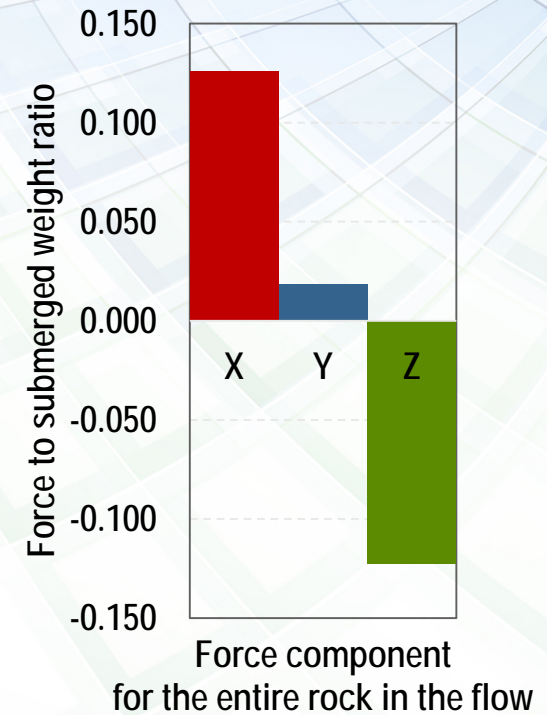
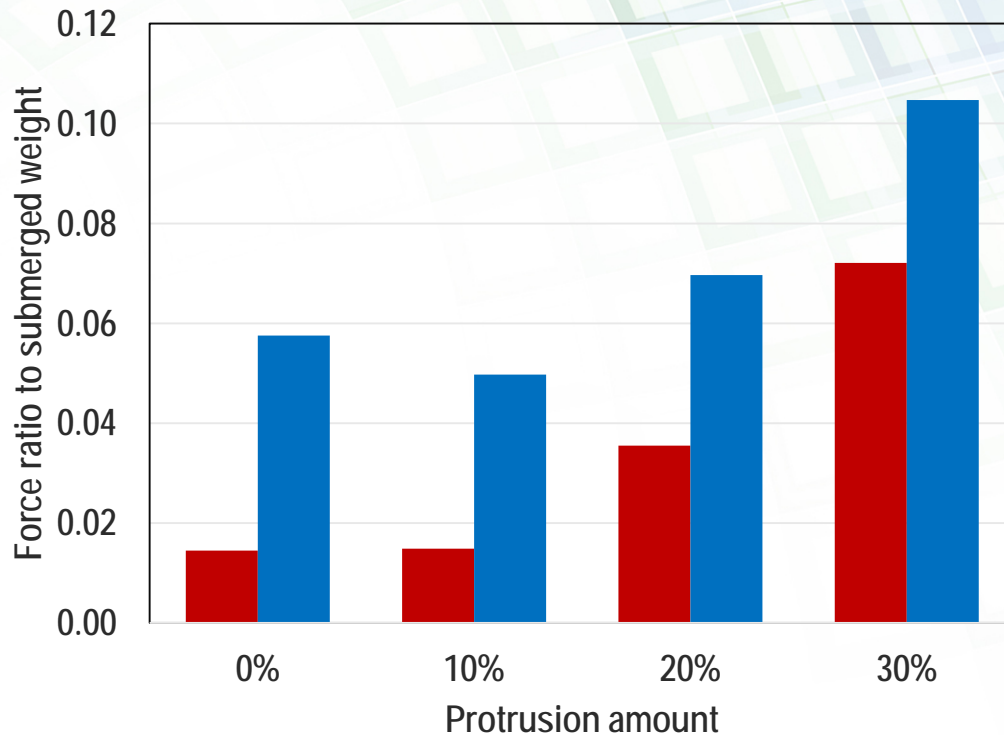
Curved wall model - pressure



Simulations with rocks protruding into the flow 10, 20, and 30 % of depth (0.6 m = ~2 ft)



Simulations with rocks protruding into the flow



Simulations with scaled geometry

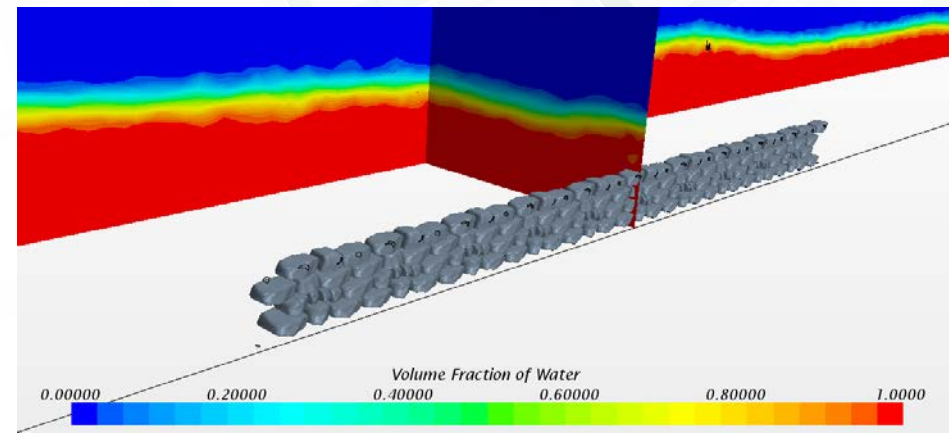
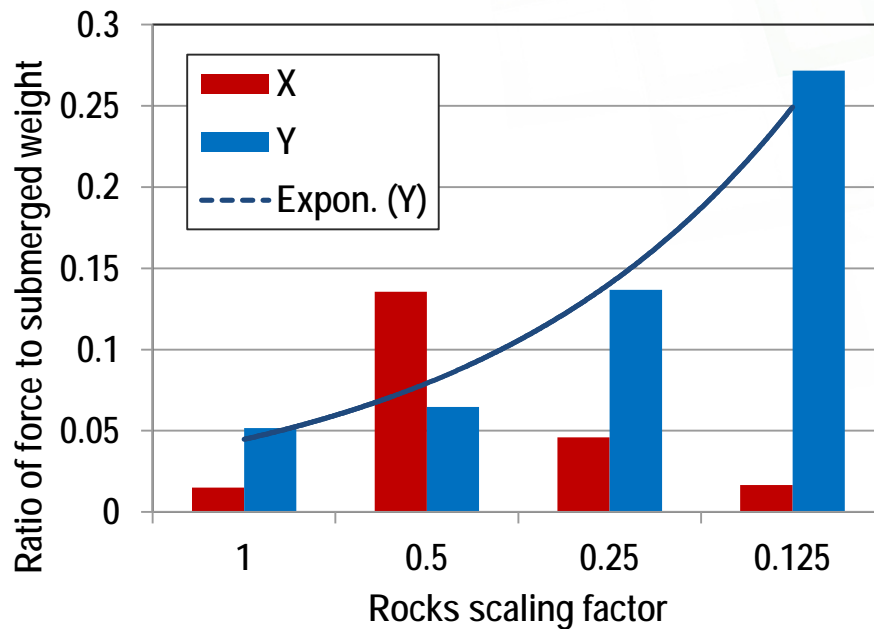
- The rocks have been scaled down in size 2, 4, and 8 times in each direction
- The volume (and mass) decreased 8, 64, and 512 times

Scale factor	Volume factor	Mass (kg)	Characteristic size (m)
1.0	1.0	6400	2 x 2 x 1
0.5	0.125	800	1 x 1 x 0.5
0.25	0.015625	100	0.5 x 0.5 x 0.25
0.125	0.001953125	12.5	0.25 x 0.25 x 0.125

- The rock size has changed but the domain size and conditions did not.
- Similar mesh settings were preserved to keep the Y^+ at similar level.
- Initial runs were with $Y^+ = 150$, new meshes have been built to lower it down to about 50

Results ratio of X and Y force to the weight

- The ratio was averaged over six rocks of the same size at the same height.
- There is no clear trend for X force.
- For the Y force an increasing ratio was expected.
- The ratio of the Y force to weight varies from **0.05** to **0.27** for the smallest rocks (12.5 kg or 25 lb)



Summary

- For the basic cases the lateral (Y) force ratio to the submerged weight of the rock varies from 0.05 to 0.11.
- The streamwise (X) component ratio has a lot more variation but is usually below 0.1.
- The depth at which the rock is placed influences slightly the lateral (Y) force ratio. If it is buried or partially submerged the ratio will vary.
- Curved wall setup didn't increase these forces.
- Protrusion of a rock into the flow will increase the ratios but even 30% of protrusion didn't cause the ratio to go significantly above 0.1.
- For the scaled rocks the Y force components grow with the decreasing size. For smaller rocks (1 ft x 1 ft x 0.5 ft) the ratio can be even up to 0.27.

Thank you!

Extra slides

Initial Conditions

Case (1) 12ft of water

$$W := 20 \text{ ft}$$

$$L := 12 \text{ ft}$$

$$W = 6.096 \text{ m}$$

$$L = 3657.6 \text{ mm}$$

$$S := 0.023$$

$$k := 1$$

$$n := 0.05$$

$$R := \frac{L \cdot W}{W + 2 \cdot L} \cdot \frac{1}{m}$$

$$R = 1.6625$$

$$V := \frac{k}{n} \cdot R^{\frac{2}{3}} \cdot S^{\frac{1}{2}} \cdot \frac{m}{s}$$

$$V = 4.2567 \frac{m}{s}$$

Froude Nuber

$$v_1 := 4.25 \frac{m}{s} \quad g := 9.81 \frac{m}{s^2} \quad d := 12 \text{ ft}$$

$$Fr := \frac{v_1}{\sqrt{g \cdot d}}$$

$$Fr = 0.7095$$

Case (2) 7ft of water

$$W := 20 \text{ ft}$$

$$L := 7 \text{ ft}$$

$$W = 6.096 \text{ m}$$

$$L = 2133.6 \text{ mm}$$

$$S := 0.023$$

$$k := 1$$

$$n := 0.05$$

$$R := \frac{L \cdot W}{W + 2 \cdot L} \cdot \frac{1}{m}$$

$$R = 1.2551$$

$$V := \frac{k}{n} \cdot R^{\frac{2}{3}} \cdot S^{\frac{1}{2}} \cdot \frac{m}{s}$$

$$V = 3.5291 \frac{m}{s}$$

Froude Nuber

$$v_1 := 3.5 \frac{m}{s} \quad g := 9.81 \frac{m}{s^2} \quad d := 7 \text{ ft}$$

$$Fr := \frac{v_1}{\sqrt{g \cdot d}}$$

$$Fr = 0.765$$